

F Test Calculator

The **F test calculator** compares the equality of two variances..
It also validates the data normality, checks the test power, identify the outliers and generates the R syntax.

Tails:

Two (H₁:σ₁ ≠ σ₂)

Significance level (α):

0.05

Outliers:

Included

Effect:

Medium

Ratio Var₁/Var₂:

1.15

- ☐ Enter summarized data: SD, n
- ☒ Enter raw data directly
- ☐ Enter raw data from excel

Group1	Group2
2608	2636
2617	2631
2616	2637
2617	2648
2616	2637
2628	2631
2607	2637
2615	2613
	2611
	2630
	2632
	2645
	2635
	2637

- Calculate
- Clear
- Validate
- Load last run

Group1 contains 8 values
Group2 contains 20 values
validation:success

Group name:

Group1

Group2

Sample SD (S):

6.436503

9.221828

Sample size (n):

8

20

Sample average (x̄):

2615.5

2631.9

Skewness:

0.660029

-0.754572

Skewness Shape:

Potentially

Potentially

Normality:

0.1712

0.1603

Outliers:

2628

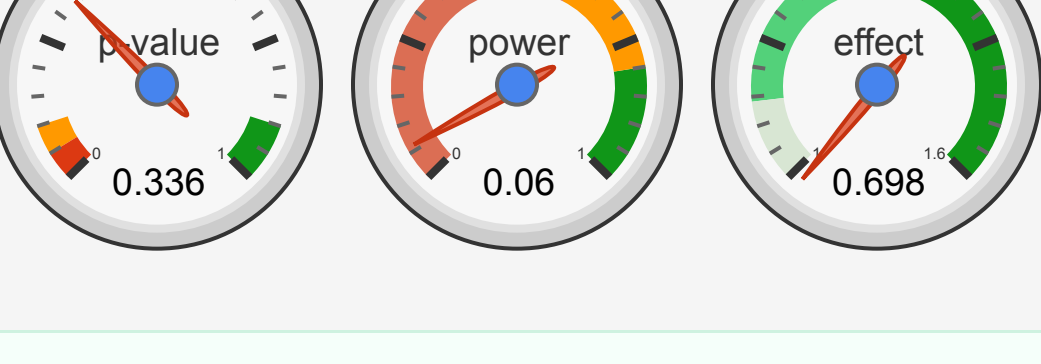
2611, 2613

Outlier count:

1

2

How to do with R?



F test for variances, using F distribution (df_{num}=7,df_{denom}=19) (two-tailed) (validation)

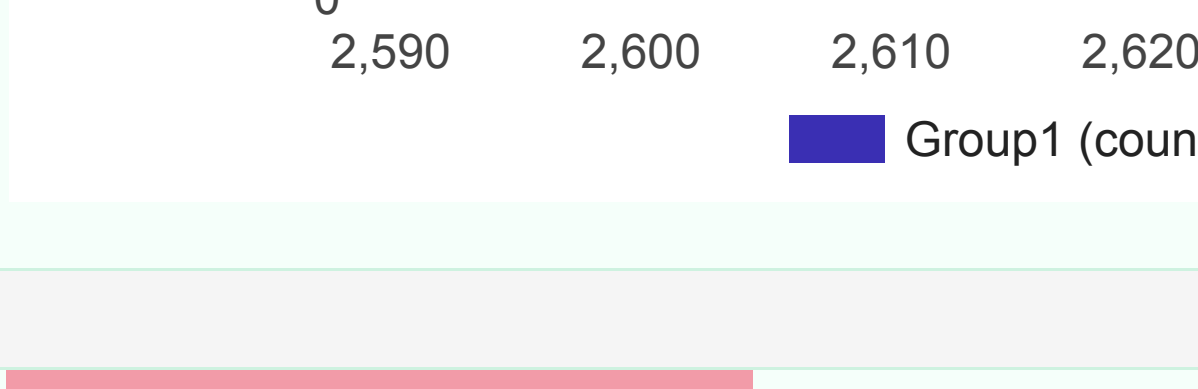
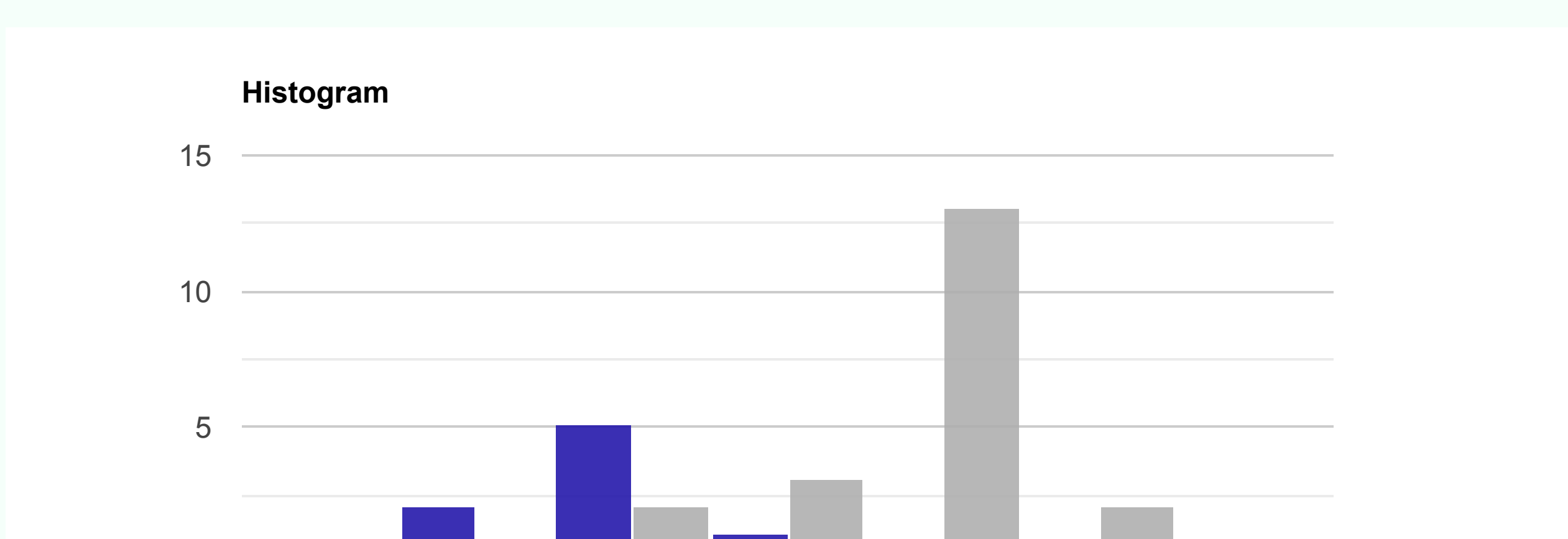
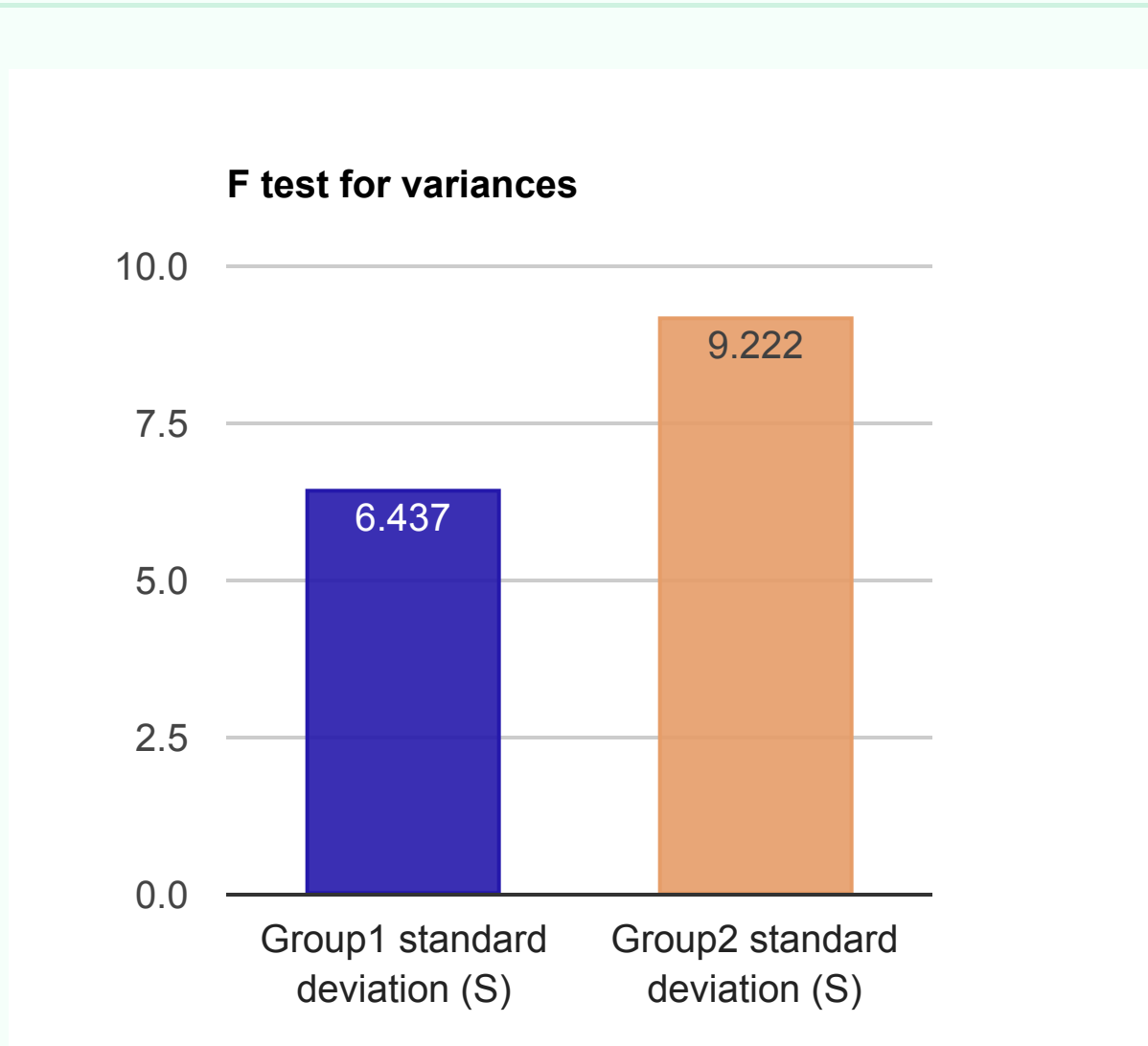
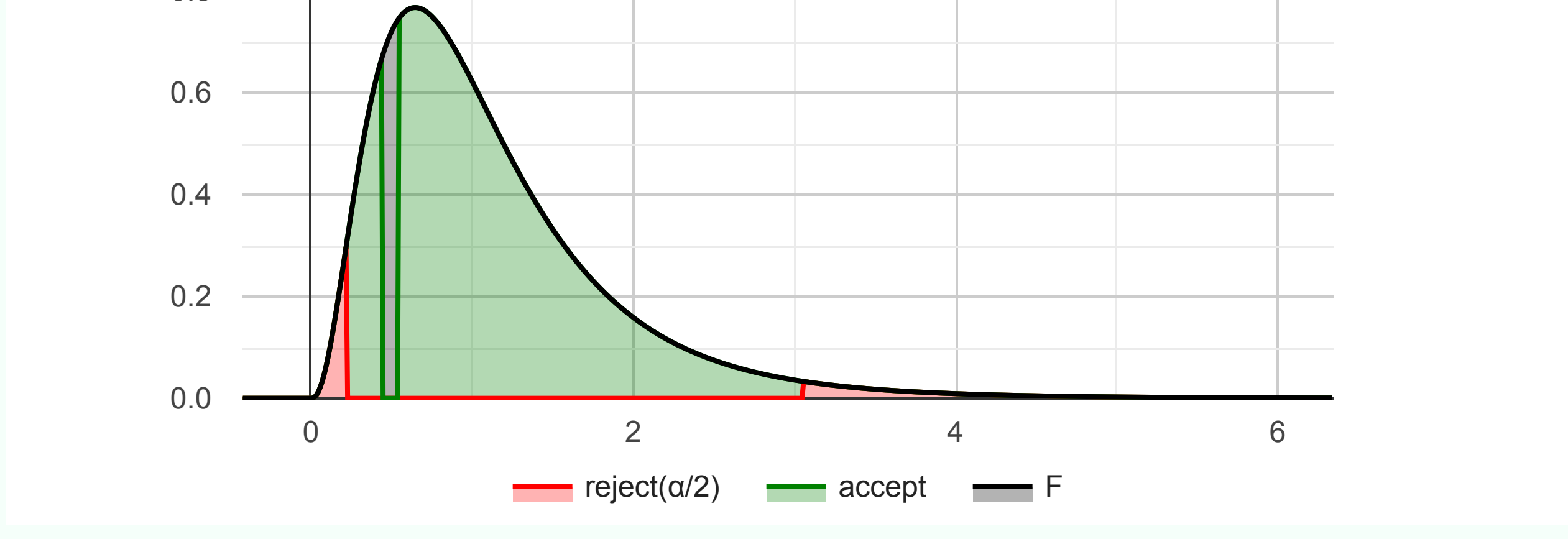
1. H₀ hypothesis
Since p-value > α, H₀ cannot be rejected.
The standard deviation (S) of **Group1's** population is assumed to be **equal to** the standard deviation (S) of **Group2's** population.
In other words, the difference between the sample standard deviation (S) of **Group1** and **Group2** is not big enough to be statistically significant.

2. P-value
The p-value equals **0.3357**, (p(x≤F) = 0.1678). It means that the chance of type I error, rejecting a correct H₀, is too high: 0.3357 (33.57%).
The larger the p-value the more it supports H₀.

3. The statistics
The test statistic F equals **0.4872**, which is in the 95% region of acceptance: [0.2231 : 3.0509].
S1/S2=0.7, is in the 95% region of acceptance: [0.4723 : 1.7467].
The 95% confidence interval of σ₁²/σ₂² is: [0.1597 , 2.1839].

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Test validation

The requested test was calculated, however, this may not be the right of test for the hypothesis.

Outliers

Outliers' detection method: Tukey Fence, k=1.5
Group1 contains 1 potential outlier, which is 12.5% of the observations.
Group2 contains 2 potential outliers, which is 10% of the observations.

Normality assumption

The assumption was checked based on the Shapiro-Wilk Test. (α=0.05)
It is assumed that **Group1** is normally distributed (p-value is 0.171), or more accurately, you can't reject the normality assumption.
It is assumed that **Group2** is normally distributed. (p-value is 0.16), or more accurately, you can't reject the normality assumption.

Test power

The priori power is low (0.05984), hence the test may not reject an incorrect h₀

Recommendations
Please check carefully the outliers.

- It is suggested to improve the test power by:
- sample size:** use a larger sample.
 - σ:** check if the standard deviation can be reduced by eliminating noises that are not relevant to the tested measurement.
 - effect size*:** when planning the research it was possible to increase the effect size, at the price of the ability to identify smaller effect sizes.
 - test tail:** if only one of either the positive or negative changes is relevant, change to the one-tailed test.
 - α*:** when planning the research it was possible to increase the significance level (α), at the price of increasing the probability of a type I error.

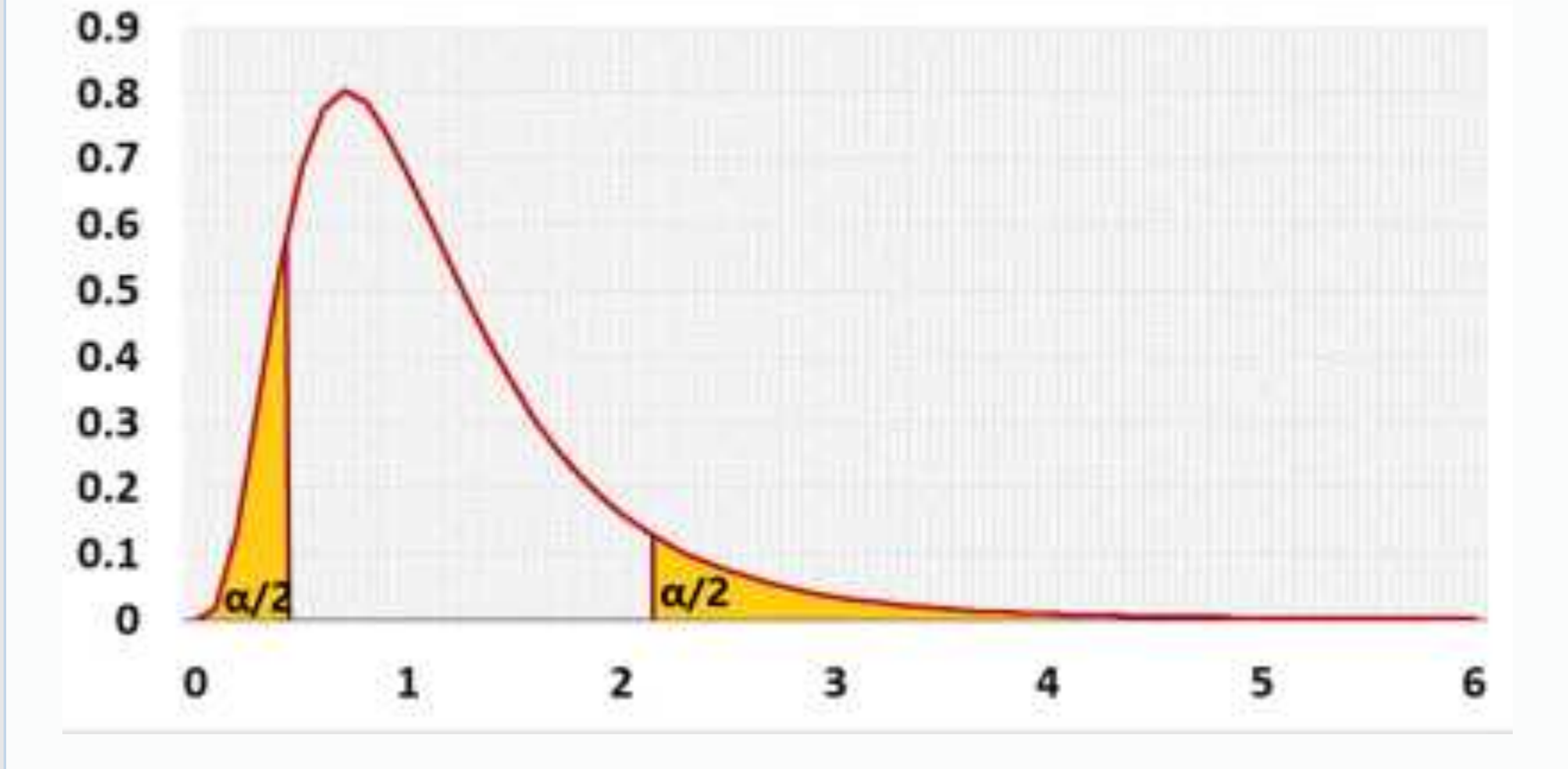
*Note: determining the test power, sample size, effect size and the significant level (α) should be done **before** collecting the data.

F test calculator

Target: To check if the difference between the population's standard deviations of two groups is significance, using sample data

The f statistic calculator compute the p-value, the F statistic, and the test power.

Hypotheses	F statistic
H ₀ : σ ₁ = σ ₂ H ₁ : σ ₁ ≠ σ ₂	$F_{n_1-1, n_2-1} = \frac{S_1^2}{S_2^2}$



Assumptions

Normal distribution – the F test for variances is very sensitive to the normality assumption.

Required Sample Data

- S** S₁, S₂ –Sample standard deviations of group1 and group2.
- n** n₁, n₂ – Sample size of group1 and group2.

R syntax

The following R code should produce the same results:

```
rm(list = ls())
if(!"stats" %in% installed.packages()){install.packages("stats")}
library(stats)
x1<-c(2608,2617,2616,2617,2616,2628,2607,2615)
y1<-
```

Video

Calculators

- F distribution
- Levene's test
- Chi-Square test
- F sample size
- F test power
- ANOVA
- Linear Regression